

Midterm Exam #2, Part A

Exam time limit: 50 minutes. You may use calculators and both sides of ONE sheet of notes, handwritten only. Closed book; no collaboration. For multiple choice questions, circle the one best answer or letter (unless more than one answer is asked for).

Physical constants: $g = 9.81 \text{ m/s}^2$ $G = 6.67 \times 10^{-11} \text{ N}\cdot\text{m}^2/\text{kg}^2$

Useful conversions: $1 \text{ y} = 3.156 \times 10^7 \text{ s}$

1. (8 pts.) **Convert** the following quantities into the units specified. Fill in the blanks. (You do NOT need to show your work.) Use *scientific notation* where appropriate (very large or very small values), and express all final values to *3 significant figures*.

a. $13.8 \text{ Gy} =$ _____ s (see conversion factor above for years [y] to seconds.)

b. $5.35 \times 10^{14} \text{ Hz} =$ _____ THz

c. $0.0794 \text{ m}^3 =$ _____ cm^3

d. $1.11 \text{ g}\cdot\text{cm/s}^2 =$ _____ N

2. a. (2 pts.) A car of mass m rounds a left-hand circular turn with radius r . If the road is *level* (unbanked), and the car proceeds around the turn at constant linear speed v , what must be the **minimum value of μ_s** for the car to stay on the road and successfully execute the curve?

A. $\frac{vg}{r}$

D. $\frac{v}{gr}$

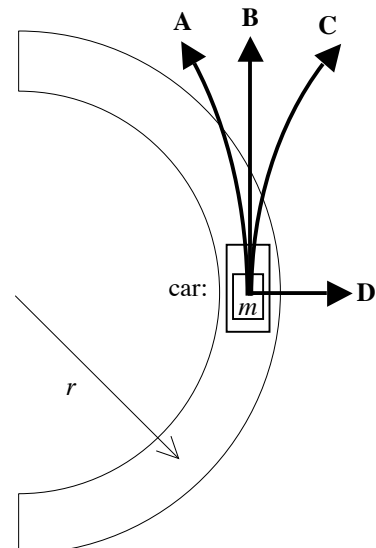
B. $\frac{v^2g}{r}$

E. $\frac{v^2}{gr}$

C. $\frac{vg}{r^2}$

F. $\frac{v}{gr^2}$

b. (1 pt.) If the car suddenly encounters an icy portion of the road (at the moment shown here) and μ_s instantly becomes zero, what will be the subsequent **path** of the car? **Circle the ONE correct letter on the diagram at right:**



3. A washing machine on “spin” cycle spins at approximately 4.0 Hz when it gets up to full speed.
- a. (2 pts.) How much **time** is needed for the machine to make one rotation at this speed?
- A. 2.5 ms
 - B. 4.0 ms
 - C. 25 ms
 - D. 40. ms
 - E. 85 ms
 - F. 0.25 s
 - G. 0.40 s
 - H. 0.85 s
- b. (3 pts.) If the washing machine’s interior is essentially a hollow cylinder of radius 0.25 m, what is the **centripetal acceleration** felt by the spinning clothes pressed against the inside edge?
- A. 0.063 times g
 - B. 0.41 times g
 - C. 2.6 times g
 - D. 5.1 times g
 - E. 8.1 times g
 - F. 12 times g
 - G. 16 times g
 - H. 41 times g
4. (2 pts.) Which one of the following is **TRUE**?
- A. The gravitational force of the Moon on the Earth is much smaller than that of the Earth on the Moon.
 - B. The Moon is falling (accelerating) toward the Earth.
 - C. The Moon’s linear (tangential) speed constantly increases over time.
 - D. If the mass of the Earth suddenly doubled, the Moon’s orbital speed would be unaffected.
5. (1 pt.) Kepler’s Second Law states that the imaginary line connecting the Sun and a planet sweeps out equal amounts of area in equal intervals of time. As a result, the linear **speed** of a planet in an elliptical orbit ...
- A. must be constant at all points throughout its orbit.
 - B. is slowest in the part of its orbit closest to the Sun, and fastest when farthest from the Sun.
 - C. is fastest in the part of its orbit closest to the Sun, and slowest when farthest from the Sun.
 - D. is fastest in the parts of its orbit closest to and farthest from the Sun, and slowest in between.
6. (2 pts.) A laser with a power of 3.0 MW generates a pulse of light for 5.0 ms. What is the total **energy** contained in the pulse?
- A. 0.60 J
 - B. 1.7 J
 - C. 15 J
 - D. 85 J
 - E. 600 J
 - F. 1.7 kJ
 - G. 15 kJ
 - H. 85 kJ
7. (1 pt.) An object slides down a stationary ramp. The **kinetic friction force** on the object...
- A. always points perpendicular to the surface of contact
 - B. always points opposite to the direction of the object’s velocity
 - C. has a magnitude that is proportional to the speed of the object
 - D. has a magnitude that is proportional to the acceleration of the object

8. (8 pts.) Two identical masses m on Earth and Mars are both dropped from rest, and both fall through identical heights h . (Ignore air resistance.) Suppose, for simplicity, that $g_{\text{Mars}} = \frac{1}{3}g_{\text{Earth}}$ exactly.

a. The **weight** of the Earth mass is _____ times the weight of the Mars mass.

- A. $1/9$ D. $\sqrt{3}$
B. $1/3$ E. 3 G. 1 (the same for both masses)
C. $1/\sqrt{3}$ F. 9

b. ΔU_{gr} for the Earth mass is _____ times ΔU_{gr} for the Mars mass.

- A. $1/9$ D. $\sqrt{3}$
B. $1/3$ E. 3 G. 1 (the same for both masses)
C. $1/\sqrt{3}$ F. 9

c. ΔK for the Earth mass is _____ times ΔK for the Mars mass.

- A. $1/9$ D. $\sqrt{3}$
B. $1/3$ E. 3 G. 1 (the same for both masses)
C. $1/\sqrt{3}$ F. 9

d. The **final speed** of the Earth mass is _____ times the final speed of the Mars mass.

- A. $1/9$ D. $\sqrt{3}$
B. $1/3$ E. 3 G. 1 (the same for both masses)
C. $1/\sqrt{3}$ F. 9

Midterm Exam #2, Part B

Show your work on free-response questions. Be sure to use **proper units** and **significant figures** in your final answers.

Physical constants: $g = 9.81 \text{ m/s}^2$ $G = 6.67 \times 10^{-11} \text{ N}\cdot\text{m}^2/\text{kg}^2$

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Sun, Earth, & Moon data:

masses

$$M_{\text{Sun}} = 2.00 \times 10^{30} \text{ kg}$$

$$M_{\text{Earth}} = 5.97 \times 10^{24} \text{ kg}$$

$$M_{\text{Moon}} = 7.35 \times 10^{22} \text{ kg}$$

radii

$$R_{\text{Sun}} = 6.95 \times 10^8 \text{ m}$$

$$R_{\text{Earth}} = 6.37 \times 10^6 \text{ m}$$

$$R_{\text{Moon}} = 1.74 \times 10^6 \text{ m}$$

orbital distances

$$d_{\text{Earth-Sun}} = 1.50 \times 10^{11} \text{ m}$$

$$d_{\text{Earth-Moon}} = 3.84 \times 10^8 \text{ m}$$

orbital periods

$$T_{\text{Earth}} = 1.00 \text{ year}$$

$$T_{\text{Moon}} = 27.3 \text{ days}$$

1. a. (6 pts.) “Geosynchronous” satellites are especially useful for telecommunications, since they orbit the Earth with a period of 1.00 day. (This makes them appear to hover above a single point on the Earth’s equator in a stationary fashion, giving them their name “geosynchronous.”) Calculate the **orbital distance** from the center of the Earth for a geosynchronous satellite, assuming that its orbit is perfectly circular. Also, how many **times** R_{Earth} (the radius of the Earth) is your answer?

b. (4 pts.) The International Space Station orbits at a mean distance of only $1.06 R_{\text{Earth}}$ from the center of the Earth — far closer than a geosynchronous satellite. Assuming that both have perfectly circular orbits, which of the two orbiting objects ...

i. ... has the **longer period**?

A. Space Station

B. geosynchronous satellite

C. same for both objects

D. cannot determine from information given

ii. ... has the **faster linear speed**?

A. Space Station

B. geosynchronous satellite

C. same for both objects

D. cannot determine from information given

iii. ... has the greater **centripetal acceleration**?

A. Space Station

B. geosynchronous satellite

C. same for both objects

D. cannot determine from information given

iv. ... feels the greater **gravitational force** from the Earth?

A. Space Station

B. geosynchronous satellite

C. same for both objects

D. cannot determine from information given

2. a. (5 pts.) Suppose that a 225-kg bobsled in last month's Winter Olympics starts a downhill run with an *initial speed* of 8.00 m/s. The sled descends a 45.0-meter-high hillside of varying slope. *Without friction or air resistance*, calculate the bobsled's **final speed** at the bottom of the hill:

b. (5 pts.) Now, suppose in real life that *friction* is present. The same bobsled starts with the same initial speed and descends the same hill as in part (a), but its *actual* final speed at the bottom of the hill is only 24.0 m/s. How much **energy** is **dissipated by friction** during descent? What **percentage** of the bobsled's total **initial energy** is this?