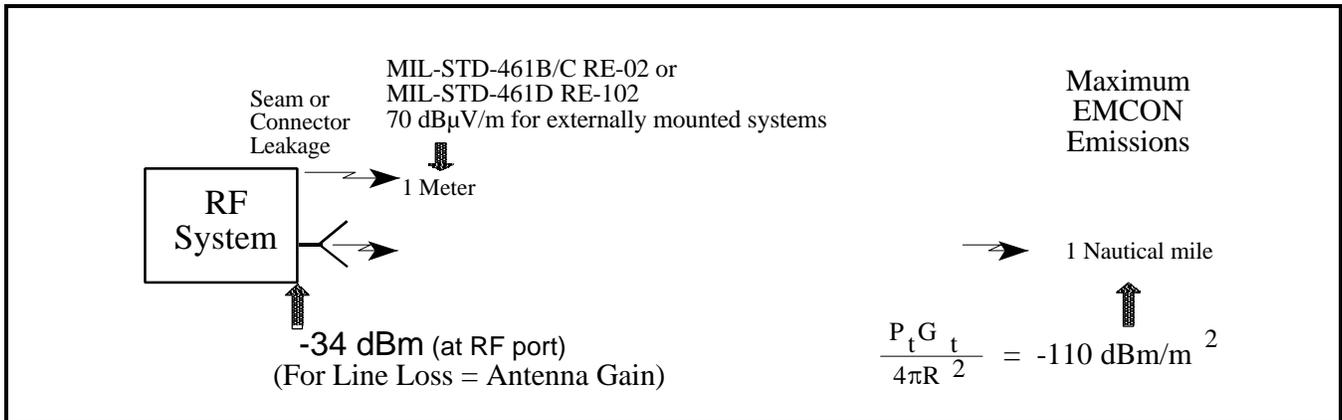


## EMISSION CONTROL (EMCON)

When EMCON is imposed, RF emissions must not exceed  $-110 \text{ dBm/meter}^2$  at one nautical mile. It is best if systems meet EMCON when in either the Standby or Receive mode versus just the Standby mode (or OFF). If one assumes antenna gain equals line loss, then emissions measured at the port of a system must not exceed  $-34 \text{ dBm}$  (i.e. the stated requirement at one nautical mile is converted to a measurement at the antenna of a point source - see Figure 1). If antenna gain is greater than line loss (i.e. gain  $6 \text{ dB}$ , line loss  $3 \text{ dB}$ ), then the  $-34 \text{ dBm}$  value would be lowered by the difference and would be  $-37 \text{ dBm}$  for the example. The opposite would be true if antenna gain is less.



**Figure 1.** EMCON Field Intensity / Power Density Measurements

To compute the strength of emissions at the antenna port in Figure 1, we use the power density equation (see Section 4-2)

$$P_D = \frac{P_t G_t}{4\pi R^2} \quad [1] \quad \text{or rearranging} \quad P_t G_t = P_D (4\pi R^2) \quad [2]$$

Given that  $P_D = -110 \text{ dBm/m}^2 = (10)^{-11} \text{ mW/m}^2$ , and  $R = 1 \text{ NM} = 1852 \text{ meters}$ .

$$P_t G_t = P_D (4\pi R^2) = (10^{-11} \text{ mW/m}^2)(4\pi)(1852 \text{ m})^2 = 4.31(10)^{-4} \text{ mW} = -33.65 \approx -34 \text{ dBm at the RF system antenna as given.}$$

or, the equation can be rewritten in Log form and each term multiplied by 10:

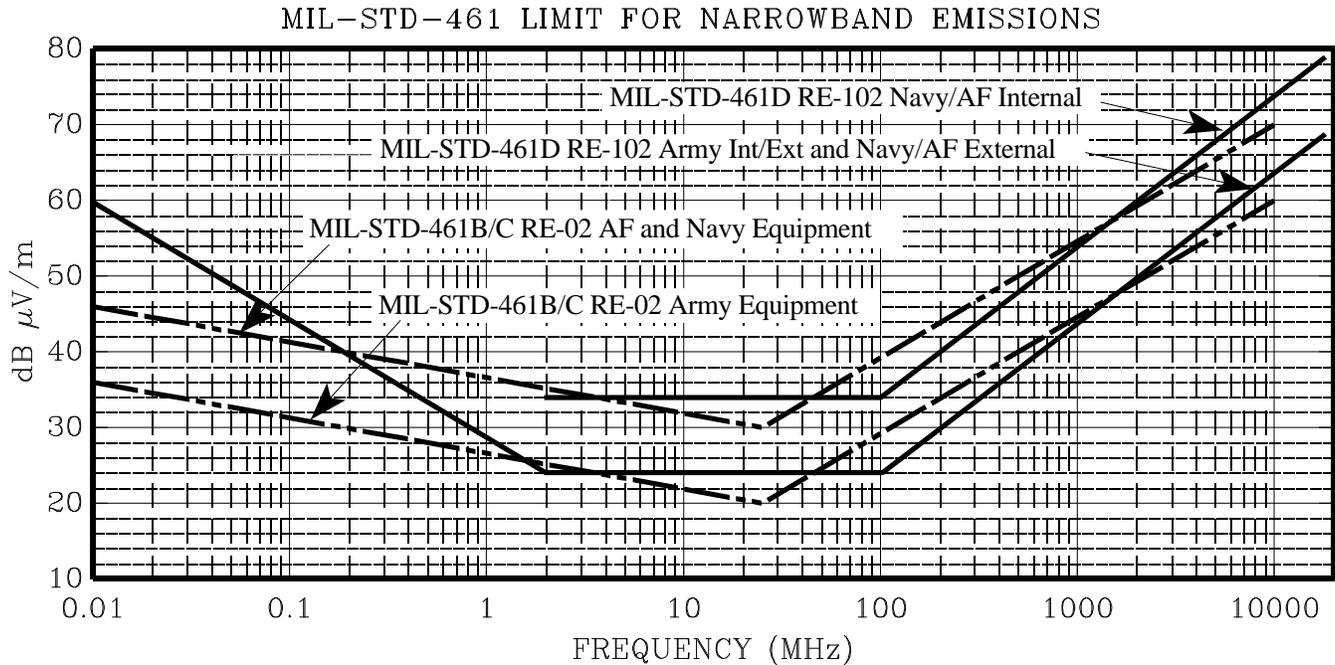
$$10\log P_t + 10\log G_t = 10\log P_D + 10\log (4\pi R^2) \quad [3]$$

Since the  $\text{m}^2$  terms on the right side of equation [3] cancel, then:

$$10\log P_t + 10\log G_t = -110 \text{ dBm} + 76.35 \text{ dB} = -33.65 \text{ dBm} \approx -34 \text{ dBm as given in Figure 1.}$$

If MIL-STD-461B/C RE02 (or MIL-STD-461D RE-102) measurements (see Figure 2) are made on seam/connector leakage of a system, emissions below  $70 \text{ dB}\mu\text{V/meter}$  which are measured at one meter will meet the EMCON requirement. Note that the airframe provides attenuation so portions of systems mounted inside an aircraft that measure  $90 \text{ dB}\mu\text{V/meter}$  will still meet EMCON if the airframe provides  $20 \text{ dB}$  of shielding (note that the requirement at one nm is converted to what would be measured at one meter from a point source)

The narrowband emission limit shown in Figure 2 for RE02/RE102 primarily reflect special concern for local oscillator leakage during EMCON as opposed to switching transients which would apply more to the broadband limit.



**Figure 2.** MIL-STD-461 Narrowband Radiated Emissions Limits

Note that in MIL-STD-461D, the narrowband radiated emissions limits were retitled RE-102 from the previous RE-02 and the upper frequency limit was raised from 10 GHz to 18 GHz. The majority of this section will continue to reference RE02 since most systems in use today were built to MIL-STD-461B/C.

For the other calculation involving leakage (to obtain 70 dB $\mu\text{V}/\text{m}$ ) we again start with:  $P_D = \frac{P_t G_t}{4\pi R^2}$

and use the previous fact that:  $10\log(P_t G_t) = -33.6 \text{ dBm} = 4.37 \times 10^{-4} \text{ mW}$  (see Section 2-4).

The measurement is at one meter so  $R^2 = 1 \text{ m}^2$

we have:  $\frac{4.37 \times 10^{-4}}{4\pi} \text{ mW}/\text{m}^2 = .348 \times 10^{-4} \text{ mW}/\text{m}^2 = -44.6 \text{ dBm}/\text{m}^2 = P_D \quad @ \text{ 1 meter}$

Using the field intensity and power density relations (see Section 4-1)

$$E = \sqrt{P_D Z} = \sqrt{3.48 \times 10^{-8} \cdot 377 \Omega} = 36.2 \times 10^{-4} \text{ V}/\text{m}$$

Changing to microvolts ( $1\text{V} = 10^6 \mu\text{V}$ ) and converting to logs we have:

$20 \log(E) = 20 \log(10^6 \times 36.2 \times 10^{-4}) = 20 \log(.362 \times 10^4) = 71.18 \text{ dB}\mu\text{V}/\text{m} \approx 70 \text{ dB}\mu\text{V}/\text{m}$  as given in Figure 1.

### Some words of Caution

A common error is to only use the one-way free space loss coefficient  $\alpha_1$  directly from Figure 6, Section 4-3 to calculate what the output power would be to achieve the EMCON limits at 1 NM. This is incorrect since the last term on the right of equation [3] ( $10 \log(4\pi R^2)$ ) is simply the Log of the surface area of a sphere - **it is NOT** the one-way free space loss factor  $\alpha_1$ . You cannot interchange power (watts or dBW) with power density (watts/m<sup>2</sup> or dBW/m<sup>2</sup>).

The equation uses power density ( $P_D$ ), **NOT** received power ( $P_r$ ). It is independent of RF and therefore varies only with range. If the source is a transmitter and/or antenna, then the power-gain product (or EIRP) is easily measured and it's readily apparent if  $10 \log(P_t G_t)$  is less than -34 dBm. If the output of the measurement system is connected to a power meter in place of the system transmission line and antenna, the -34 dBm value must be adjusted. The measurement on the power meter (dBm) minus line loss (dB) plus antenna gain (dB) must not be higher than -34 dBm.

However, many sources of radiation are through leakage, or are otherwise inaccessible to direct measurement and  $P_D$  must be measured with an antenna and a receiver. The measurements must be made at some RF(s), and received signal strength is a function of the antenna used therefore measurements must be scaled with an appropriate correction factor to obtain correct power density.

### RE-02 Measurements

When RE-02 measurements are made, several different antennas are chosen dependent upon the frequency range under consideration. The voltage measured at the output terminals of an antenna is not the actual field intensity due to actual antenna gain, aperture characteristics, and loading effects. To account for this difference, the antenna factor is defined as:

$$AF = E/V \quad [4]$$

where  $E$  = Unknown electric field to be determined in V/m ( or  $\mu\text{V/m}$ )

$V$  = Voltage measured at the output terminals of the measuring antenna

For an antenna loaded by a 50  $\Omega$  line (receiver), the theoretical antenna factor is developed as follows:

$$P_D A_e = P_r = V^2/R = V_r^2/50 \text{ or } V_r = \sqrt{50 P_D A_e}$$

From Section 4-3 we see that  $A_e = G_r \lambda^2 / 4\pi$ , and from Section 4-1,  $E^2 = 377 P_D$  therefore we have:

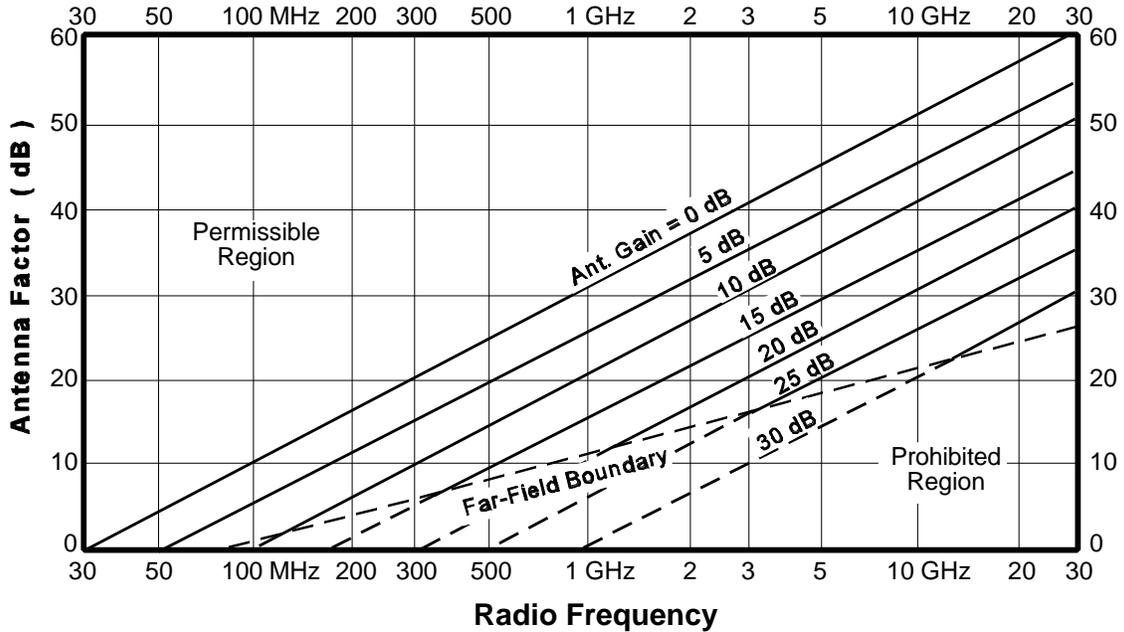
$$AF = \frac{E}{V} = \frac{\sqrt{377 P_D}}{\sqrt{50 P_D (\lambda^2 G_r / 4\pi)}} = \frac{9.73}{\lambda \sqrt{G_r}} \quad [5]$$

Reducing this to decibel form we have:

$$20 \log AF = 20 \log E - 20 \log V = 20 \log \left[ \frac{9.73}{\lambda \sqrt{G_r}} \right] \text{ with } \lambda \text{ in meters and Gain numeric ratio (not dB)} \quad [6]$$

This equation is plotted in Figure 3.

Since all of the equations in this section were developed using far field antenna theory, use only the indicated region.



**Figure 3.** Antenna Factor vs Frequency for Indicated Antenna Gain

In practice the electric field is measured by attaching a field intensity meter or spectrum analyzer with a narrow bandpass preselector filter to the measuring antenna, recording the actual reading in volts and applying the antenna factor.

$$20\log E = 20\log V + 20\log AF \quad [7]$$

Each of the antennas used for EMI measurements normally has a calibration sheet for both gain and antenna factor over the frequency range that the antenna is expected to be used. Typical values are presented in Table 1.

**Table 1.** Typical Antenna Factor Values

Frequency Range	Antenna(s) used	Antenna Factor	Gain(dB)
14 kHz - 30 MHz	41" rod	22-58 dB	0 - 2
20 MHz - 200 MHz	Dipole or Biconical	0-18 dB	0 - 11
200 MHz - 1 GHz	Conical Log Spiral	17-26 dB	0 - 15
1 GHz - 10 GHz	Conical Log Spiral or Ridged Horn	21-48 dB	0 - 28
1 GHz - 18 GHz	Double Ridged Horn	21-47 dB	0 - 32
18 GHz - 40 GHz	Parabolic Dish	20-25 dB	27 - 35

The antenna factor can also be developed in terms of the receiving antenna's effective area. This can be shown as follows:

$$AF = \frac{E}{V} = \frac{\sqrt{377 P_D}}{\sqrt{50 P_D A_e}} = \frac{2.75}{\sqrt{A_e}} \quad [8]$$

Or in log form:

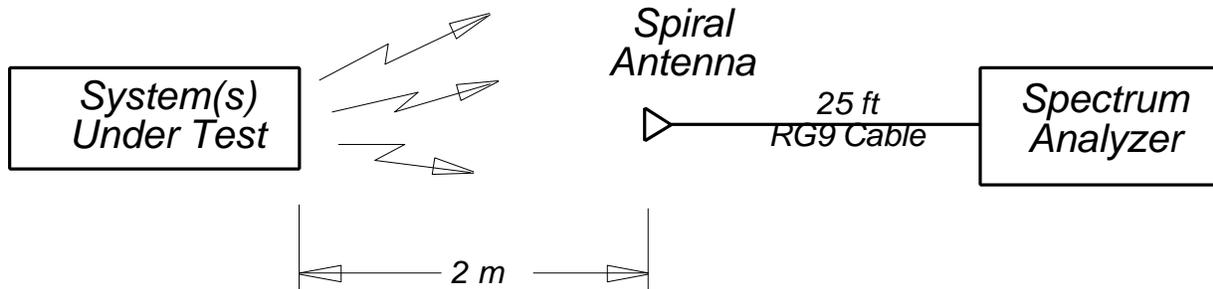
$$20 \log AF = 20 \log E - 20 \log V = 20 \log \left[ \frac{2.75}{\sqrt{A_e}} \right] \quad [9]$$

While this relation holds for any antenna, many antennas (spiral, dipole, conical etc.) which do not have a true "frontal capture area" do not have a linear or logarithmic relation between area and gain and in that respect the parabolic dish is unique in that the antenna factor does not vary with frequency, only with effective capture area. Consequently a larger effective area results in a smaller antenna factor.

A calibrated antenna would be the first choice for making measurements, followed by use of a parabolic dish or "standard gain" horn. A standard gain horn is one which was designed such that it closely follows the rules of thumb regarding area/gain and has a constant antenna factor. If a calibrated antenna, parabolic dish, or "standard horn" is not available, a good procedure is to utilize a flat spiral antenna (such as the AN/ALR-67 high band antennas). These antennas typically have an average gain of 0 dB (typically -4 to +4 dB), consequently the antenna factor would not vary a lot and any error would be small.

EXAMPLE:

Suppose that we want to make a very general estimation regarding the ability of a system to meet EMCON requirements. We choose to use a spiral antenna for measurements and take one of our samples at 4 GHz. Since we know the gain of the spiral is relatively flat at 4 GHz and has a gain value of approximately one (0 dB) in that frequency range. The antenna is connected to a spectrum analyzer by 25 feet of RG9 cable. We want to take our measurements at 2 meters from the system so our setup is shown below:



Our RG9 cable has an input impedance of  $50\Omega$ , and a loss of 5 dB (from Figure 5, Section 6-1).

First, let's assume that we measure -85 dBm at the spectrum analyzer and we want to translate this into the equivalent strength at 1 NM. Our power received by the antenna is:  $P_r = -85 \text{ dBm} + 5 \text{ dB line loss} = -80 \text{ dBm}$

also  $P_D = P_r/A_e$  and  $A_e = G\lambda^2/4\pi = (G/4\pi) \cdot (c/f)^2 = (1/4\pi) \cdot (3 \times 10^8 / 4 \times 10^9)^2 = 4.47 \times 10^{-4} \text{ m}^2$

in log form:  $10 \text{ Log } P_D = 10 \text{ Log } P_r - 10 \text{ Log } A_e = -80 \text{ dBm} + 33.5 = -46.5 \text{ dBm/m}^2$  at our 2 meter measuring point

To convert this to a value at 1 NM, we use

$$P_t G_t = P_{D@1 \text{ nm}} 4\pi R_1^2 = P_{D@2 \text{ m}} 4\pi R_2^2 \text{ and we solve for } P_{D@1 \text{ nm}}$$

in log form after cancelling the  $4\pi$  terms:

$$10 \text{ Log } P_{D@1 \text{ nm}} = 10 \text{ Log } P_{D@2 \text{ m}} + 10 \text{ Log } (R_{2m}/R_{1nm})^2 = -46.5 \text{ dBm/m}^2 - 59.3 \text{ dB} = -105.8 \text{ dBm/m}^2 \text{ which is more power than the maximum value of } -110 \text{ dBm/m}^2 \text{ specified.}$$

If we are making repetitive measurement as we might do when screening an aircraft on the flight line with numerous systems installed, or when we want to improve (reduce) the leakage on a single system by changing antennas, lines, connectors, or EMI gaskets or shielding, this mathematical approach would be unnecessarily time consuming since it would have to be repeated after each measurement. A better approach would be to convert the -110 dBm/m<sup>2</sup> value at 1 NM to the maximum you can have at the measuring instrument (in this case a spectrum analyzer), then you could make multiple measurements and know immediately how your system(s) are doing. It should be noted that -90 to -100 dBm is about the minimum signal level that can be detected by a spectrum analyzer, so you couldn't take measurements much further away unless you used an antenna with a much higher gain.

In order not to exceed EMCON, the power density must not exceed -110 dBm/m<sup>2</sup> at 1 NM, which is  $10^{-11} \text{ mW/m}^2$ .

$$P_t G_t = P_{D@1 \text{ nm}} 4\pi R_1^2 = P_{D@2 \text{ m}} 4\pi R_2^2$$

we solve for  $P_{D@2 \text{ m}} = 10^{-11} (1852\text{m})^2 / (2\text{m})^2 = 8.57 \times 10^{-6} \text{ mW/m}^2 = -50.7 \text{ dBm/m}^2$

We'll be using a spectrum analyzer, so we want to compute what the maximum power or voltage may be.

Method 1 - Using the Power Density Approach

Using logs/dB and the values of  $P_{D@2 \text{ m}}$  and  $A_e$  determined previously:

$$10 \text{ Log } P_r = 10 \text{ Log } P_D + 10 \text{ Log } A_e = -50.7 - 33.5 = -84.2 \text{ dBm}$$

taking line loss into account we have:  $-84.2 - 5 \text{ dB} = -89.2 \text{ dBm}$  as the maximum measurement reading.

If we wanted to calculate it in volts, and take into account our line impedance we would have the following:

$$P_r = P_D A_e = V^2/R = V^2/50\Omega \text{ also } A_e = G\lambda^2/4\pi \text{ so solving for } V \text{ we have:}$$

$$V = \sqrt{P_D \left[ \frac{G_r \lambda^2}{4\pi} \right] R} = \sqrt{P_D \left[ \frac{G_r \left( \frac{c}{f} \right)^2}{4\pi} \right] R} = \sqrt{8.57 \times 10^{-9} \left[ \frac{1}{4\pi} \left( \frac{3 \times 10^8}{4 \times 10^9} \right)^2 \right] 50\Omega} = 1.38 \times 10^{-5} \text{ volts (before line loss)}$$

since our line loss is 5 dB, we have  $-5\text{dB} = 20 \text{ Log } V_2/V_1$ . Solving for  $V_2$  we get  $7.79 \times 10^{-6} \text{ volts}$  or  $-89 \text{ dBm}$  as a maximum at our measurement device input. We can see immediately that our value of -85 dBm that we measured on the previous page would not meet specifications, and neither would any signal with more power than -89 dBm.

## Method 2 - Using the Antenna Factor Approach

Starting with the same value of power density that we obtained above ( $8.57 \times 10^{-9} \text{ W/m}^2$ ), we find the field intensity from Table 1, Section 4-1 to be approximately  $65 \text{ dB}_{\mu\text{V/m}}$ . Also from Figure 3 in this section,  $\text{AF} = 43 \text{ dB @ 4 GHz}$ . (by calculating with equation [6], the exact value is  $42.3 \text{ dB}$ )

From equation [6]:

$$20 \log V = 20 \log E - 20 \log \text{AF}$$

$$20 \log V = 65 - 43 = 22 \text{ dB}_{\mu\text{V/m}}$$

Since  $\text{dB}_{\mu\text{V/m}} = 20 \log (V)(10^6) = 20 \log V + 20 \log 10^6 = 20 \log V + 120$ , we see that to get an answer in dBv we must subtract 120 from the  $\text{dB}_{\mu\text{V/m}}$  value so:  $V_{\text{dB}} = 22 - 120 = -98 \text{ dBv}$ . We then subtract our line loss ( $-5 \text{ dB}$ ) and we have:

$$V = -98 - 5 = -103 \text{ dBv} = 17 \text{ dB}_{\mu\text{V}} = \underline{7.1 \times 10^{-6} \text{ volts}}$$

using the fact that  $P = V^2/R$  and for the input line  $R = 50 \Omega$ ,  $P = 1 \times 10^{-12} \text{ W} = -120 \text{ dBW} = \underline{-90 \text{ dBm}}$

Although this method is just as accurate as that obtained using method 1, the values obtained in Table 1, Section 4-1, and Figure 3 must be interpolated, and may not result in values which are as precise as the appropriate formulas would produce.

Sample Problem: What is the approximate transmit power from a receiver?

- |                                  |                      |                    |
|----------------------------------|----------------------|--------------------|
| A. 1 nanowatt (nW)               | F. 100 $\mu\text{W}$ | K. 10 W            |
| B. 10 nW                         | G. 1 milliwatt (mW)  | L. 100 W           |
| C. 100 nW                        | H. 10 mW             | M. 1 kilowatt (kW) |
| D. 1 microwatt ( $\mu\text{W}$ ) | I. 100 mW            | N. 10 kW           |
| E. 10 $\mu\text{W}$              | J. 1 watt (W)        | O. 100 kW          |

The question may seem inappropriate since a receiver is supposedly a passive device which only receives a signal. If the receiver was a crystal video receiver as shown in Section 5-3, it wouldn't transmit power unless a built-in-test (BIT) signal was injected after the antenna to periodically check the integrity of the microwave path and components. The potential exists for the BIT signal to leak across switches and couple back through the input path and be transmitted by the receiver's antennas.

If the receiver uses a local oscillator (LO) and a mixer to translate the signal to an intermediate frequency (IF) for processing (such as a superhet shown in Section 5-3), there is the potential for the CW LO signal to couple back through the signal input path and be transmitted by the receiver's antenna. Normally a mixer has 20 dB of rejection for the reverse direction. In addition, the LO may be further attenuated by receiver front end filters.

In both cases, the use of isolators described in Section 6-7 could be used to further attenuate any signals going in the reverse direction, i.e. back to the antenna. A good receiver design should ensure that any RF leakage radiated by the receiver will not exceed the EMCON level.

In answer to the initial question, "transmit" leakage power should be less than  $-34 \text{ dBm}$  ( $0.4 \mu\text{W}$ ) to meet EMCON. Therefore, the real answer may be "A", "B", or "C" if EMCON is met and could be "D" through possibly "G" if EMCON is not met.