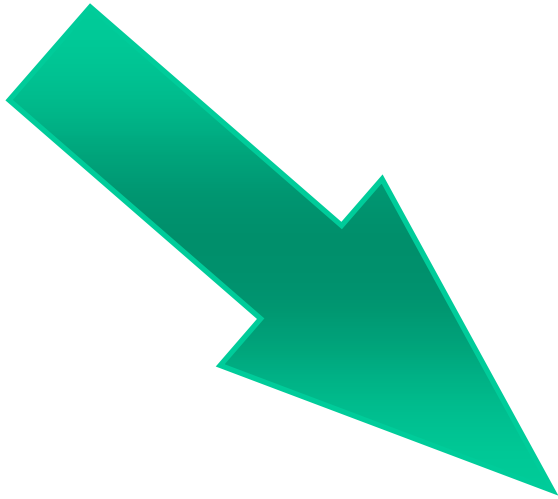


Course Updates

<http://www.phys.hawaii.edu/~varner/PHYS272-Spr10/physics272.html>

Reminders:

- 1) Assignment #12 → due Monday
- 2) Start Optics (Chapter 33)
- 3) Last HW (#13 posted) → due Monday, May 3rd



Reflection



$$\theta_i = \theta_r$$



Lawrence Lawry / Getty Images file

Refraction

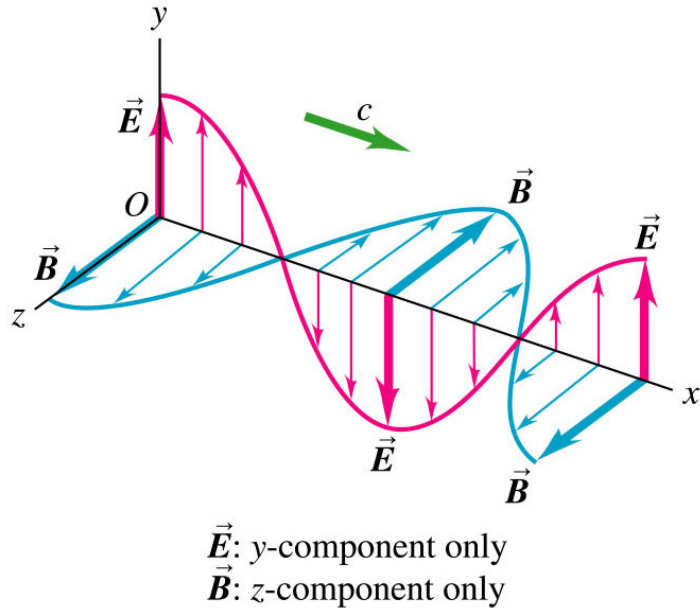
$$n_1 \sin \theta_1 = n_2 \sin \theta_2$$

Index of Refraction

- Speed of light, c , in vacuum is $3 \times 10^8 \text{ m/s}$
- Speed of light, v , in different medium can be $v < c$.
- index of refraction, $n = c/v$.
- frequency, f , does not change in wave eqn. of $v = f \lambda$,
- wavelength, λ , depends on medium, $\lambda = v/f = c/nf = \lambda_0/n$
- In some media, n , depends on f , this is called dispersion.

Waves, wave front, rays (Y&F section 33.2)

Plane waves moving in +x direction

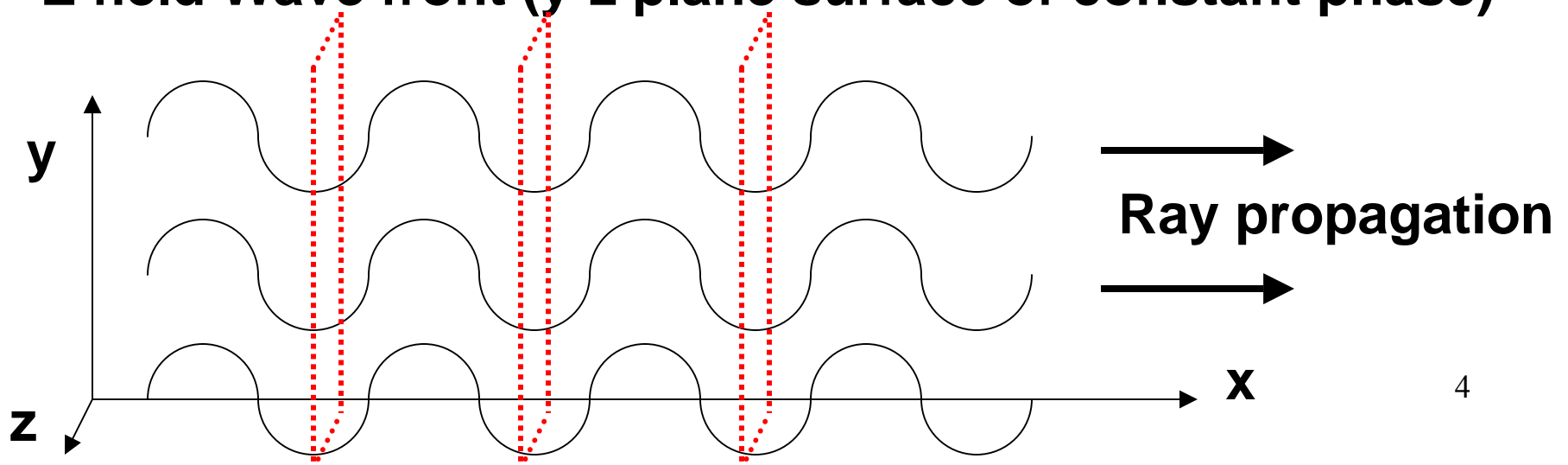


$$\vec{E}(x, y, z, t) = E_0 \hat{y} \cos(kx - \omega t)$$

$$\vec{B}(x, y, z, t) = B_0 \hat{z} \cos(kx - \omega t)$$

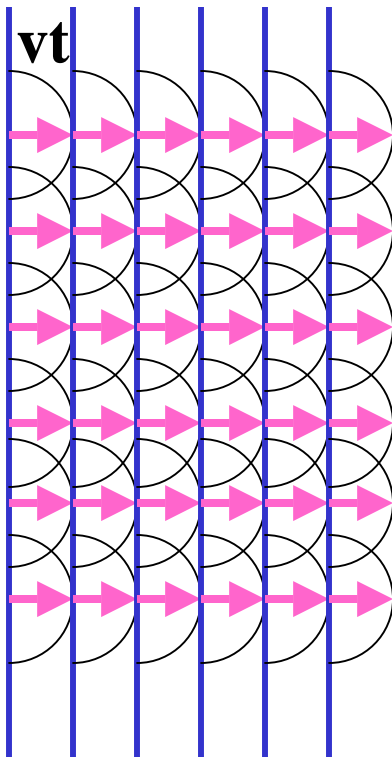
Wave front is a surface of constant phase

E field Wave front (y-z plane surface of constant phase)



Huygen's Principle (Y&F section 33.7)

- Huygen's principle; a wave front can be a source of secondary wavelets the spread out in all directions at the speed of propagation in the medium. The envelope of leading edges forms a wave front.
- This principle was stated by Huygen in 1678, it is derivable from Maxwell's eqn. It is a geometrical description of ray propagation.



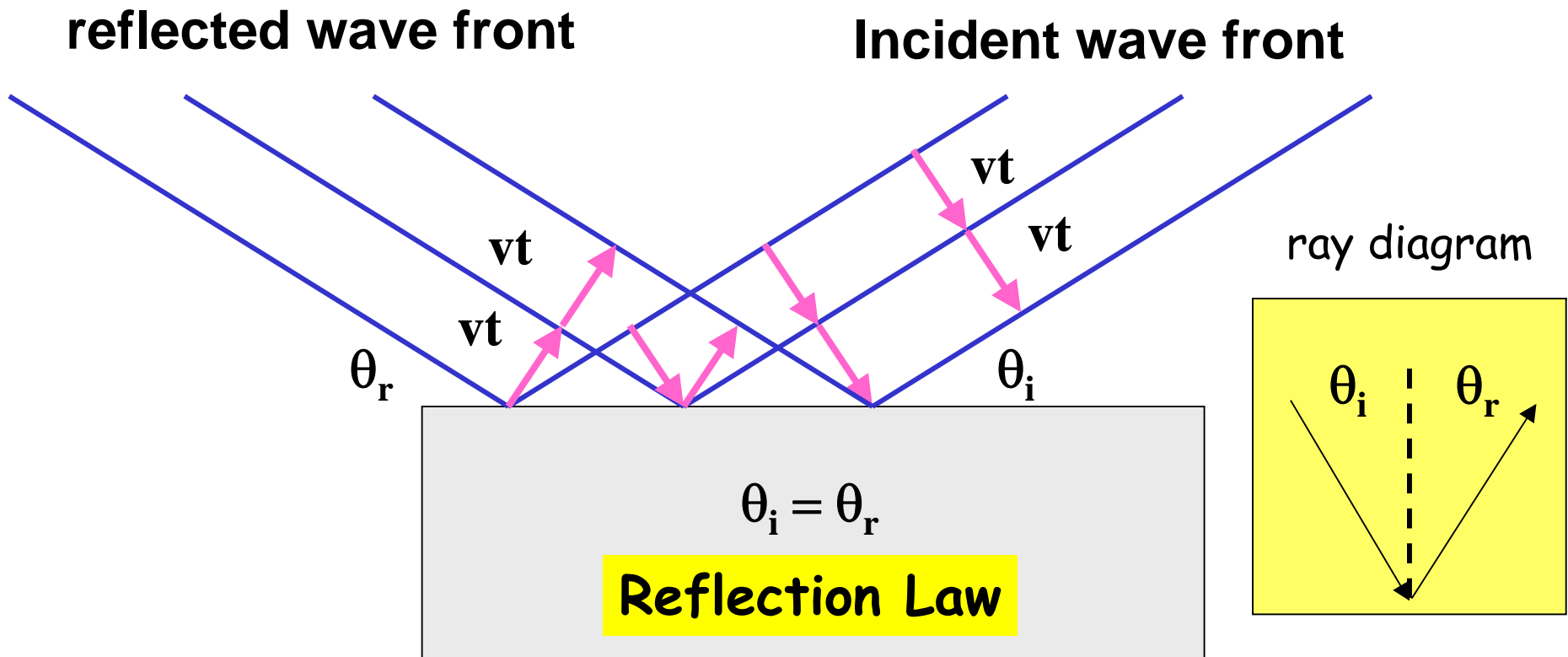
Plane wave example;

Secondary wavelets create another wave front (plane)

Reflection from Huygen's Principle

Consider wave fronts, separated by vt , the incident wave fronts in contact with the surface will create wavelets according to Huygen's Principle and leads to another "reflected" wave front.

The result is $\theta_i = \theta_r$



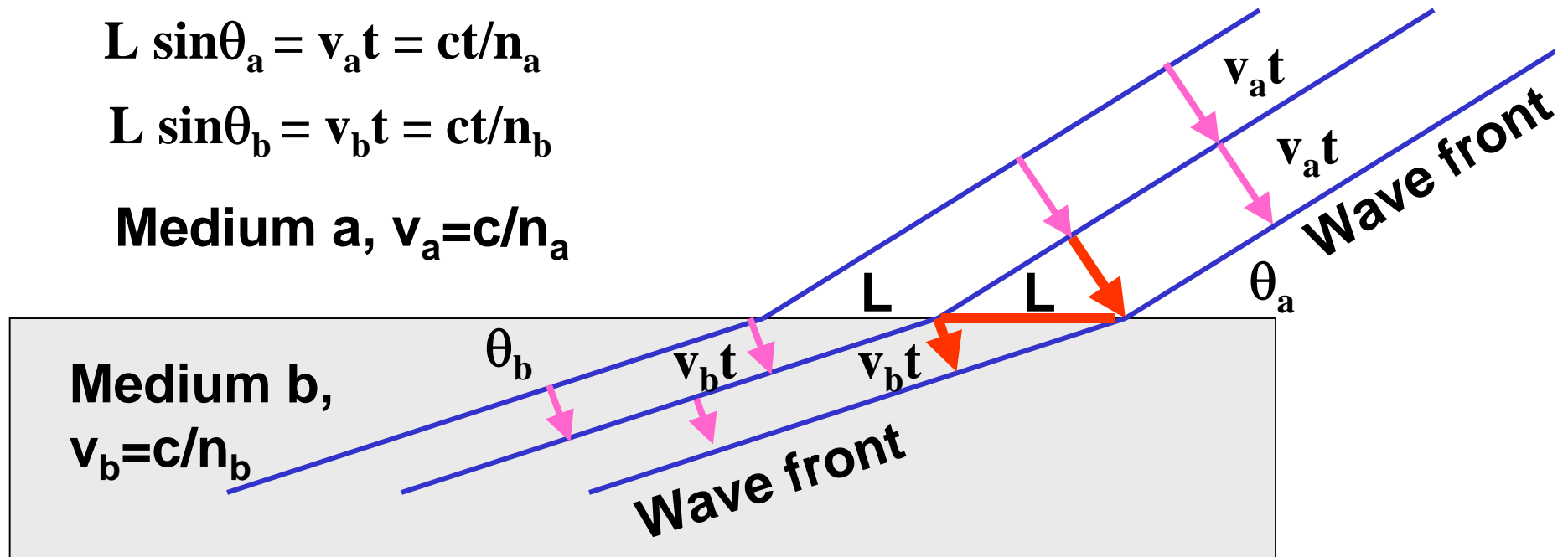
Refraction from Huygen's Principle

Now the speed changes, from medium a to medium b, so the Speed may change and the wavefront spacing differs.

$$L \sin \theta_a = v_a t = ct/n_a$$

$$L \sin \theta_b = v_b t = ct/n_b$$

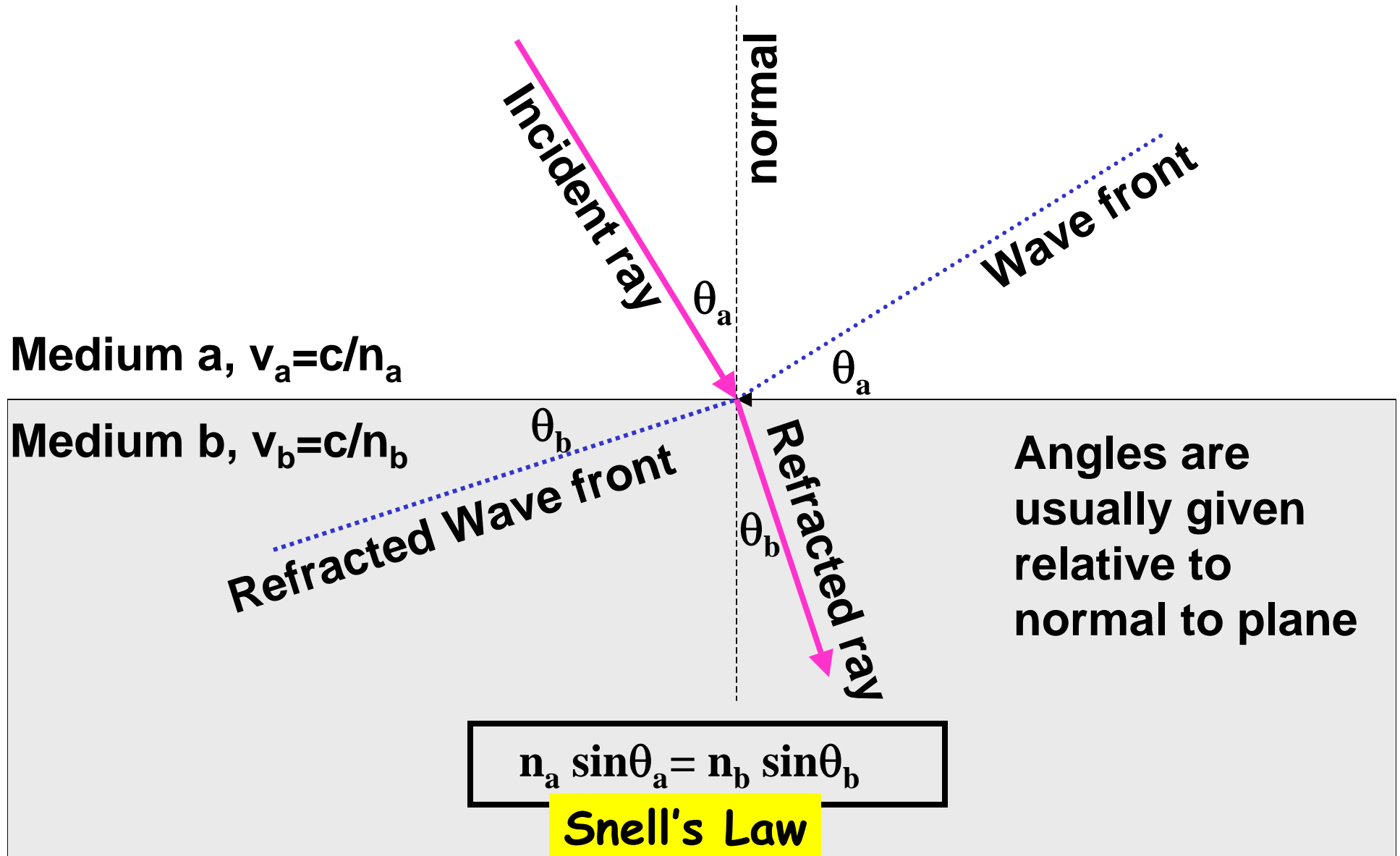
Medium a, $v_a = c/n_a$



$$n_a \sin \theta_a = n_b \sin \theta_b$$

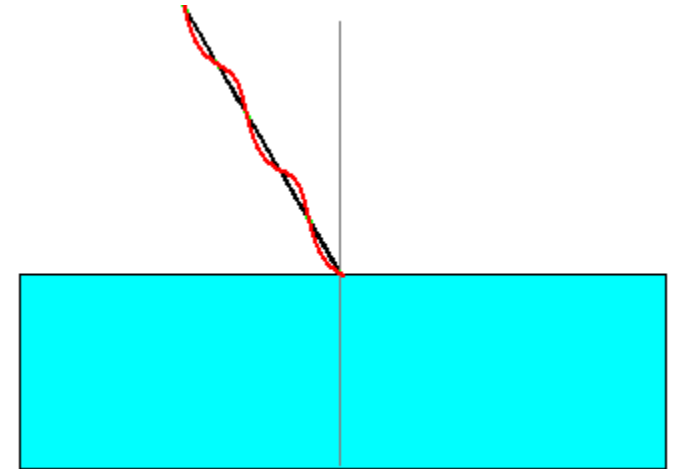
Snell's Law

Snell's Law (law of refraction)



Question 1

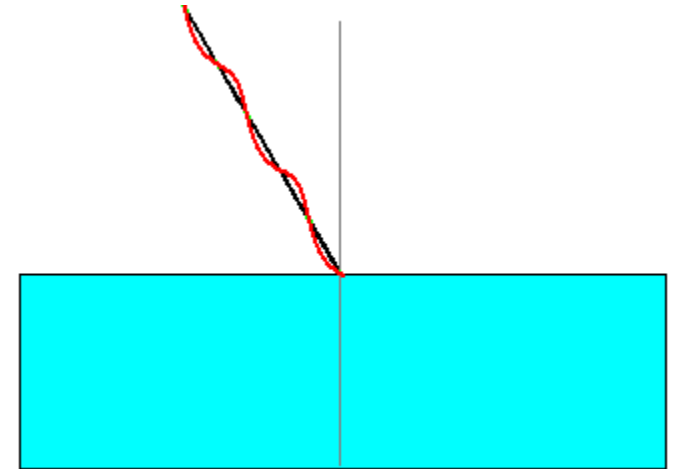
A ray of light passes from air into water with an angle of incidence of 30° . Which of the following quantities does not change as the light enters the water.



- a) Wavelength
- b) frequency
- c) speed of propagation
- d) direction of propagation.

Question 1

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a) Wavelength

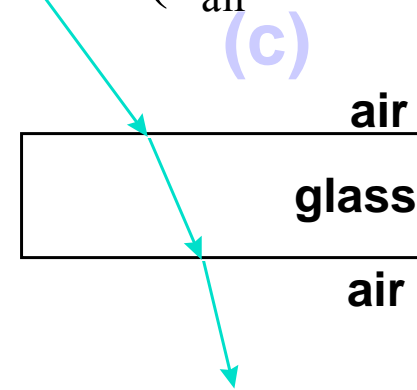
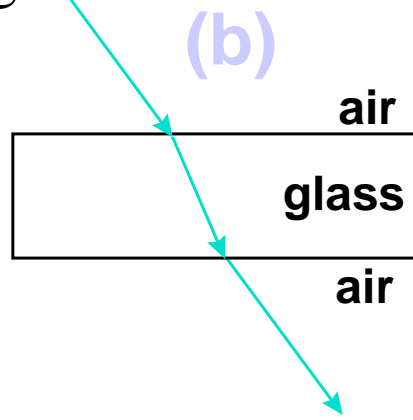
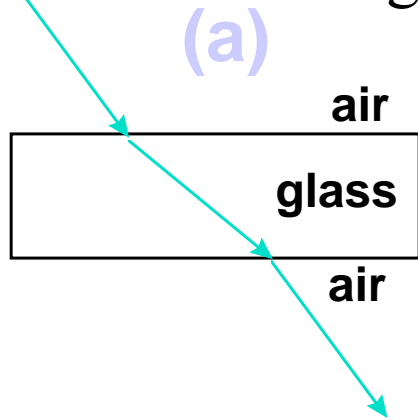
b) frequency

c) speed of propagation

d) direction of propagation.

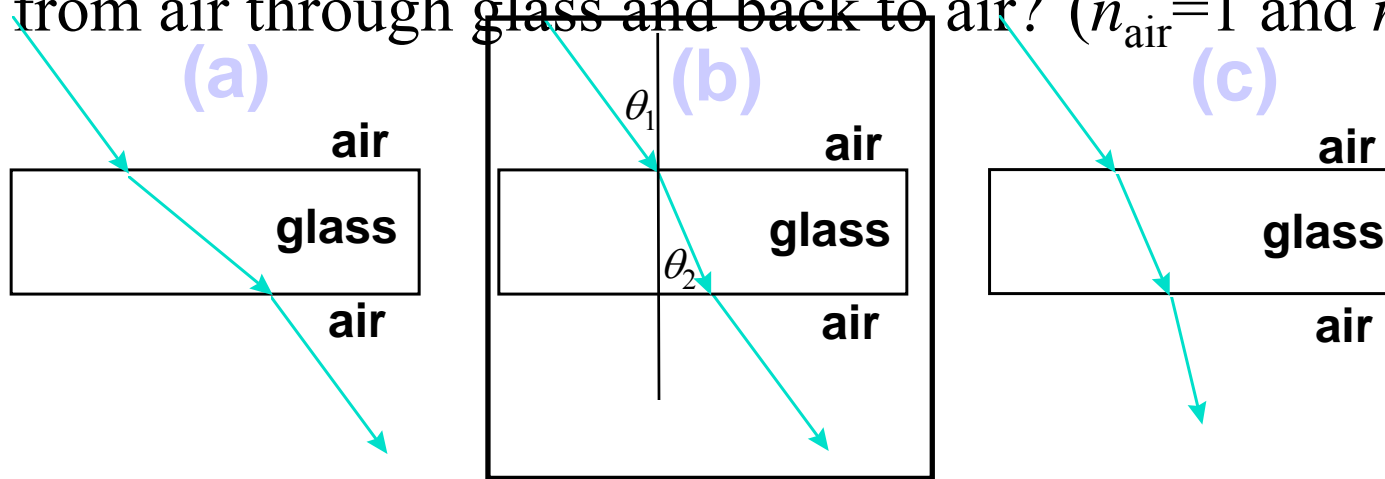
Question 2

- Which of the following ray diagrams could represent the passage of light from air through glass and back to air? ($n_{\text{air}}=1$ and $n_{\text{glass}}=1.5$)



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- Which of the following ray diagrams could represent the passage of light from air through glass and back to air? ($n_{\text{air}}=1$ and $n_{\text{glass}}=1.5$)



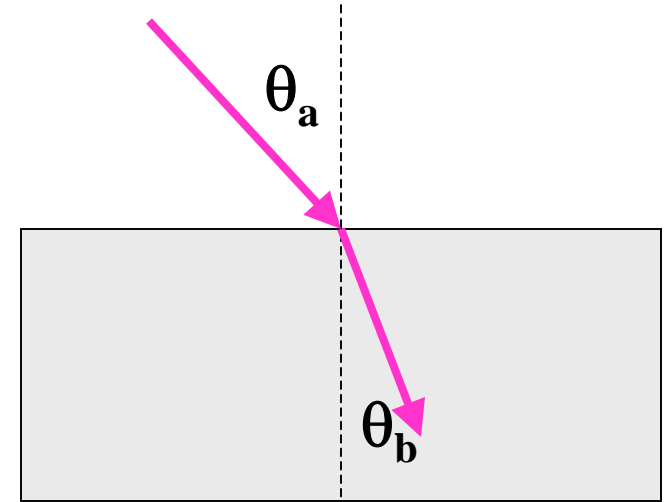
- The behavior of these rays is determined from Snell's Law:

$$n_1 \sin \theta_1 = n_2 \sin \theta_2$$

- Since $n(\text{glass}) > n(\text{air})$, $\sin \theta(\text{glass}) < \sin \theta(\text{air})$.
- Therefore, moving from air to glass, ray will bend toward normal.
 - this eliminates (a).
- Moving from glass to air, ray will bend away from normal.
 - this eliminates (c).
- As a matter of fact, the final angle in air must be equal to the initial angle in air!!

EXAMPLE, from air into glass;

Suppose we have light in air ($n=1$) incidence on glass ($n=1.55$) at an angle $\theta_a=45^\circ$. What is the angle of the refracted light, θ_b ?



$$n_{air} \sin \theta_a = n_{glass} \sin \theta_b$$

$$(1) \sin(45^\circ) = (1.55) \sin \theta_b$$

$$\sin \theta_b = \frac{(1) \sin(45^\circ)}{1.55} = \frac{1}{1.55\sqrt{2}}$$

$$\theta_b = 27^\circ$$

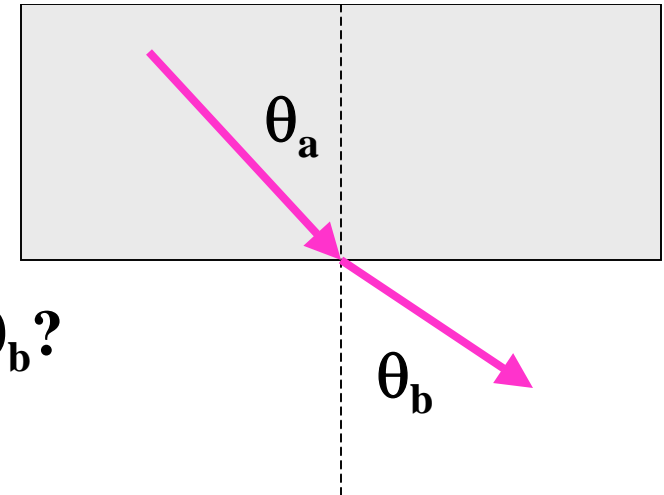
EXAMPLE, from glass into air;
Suppose we have light in glass ($n=1.55$)
incident into air at an angle $\theta_a=30^\circ$.
What is the angle of the refracted light, θ_b ?

$$n_{glass} \sin \theta_a = n_{air} \sin \theta_b$$

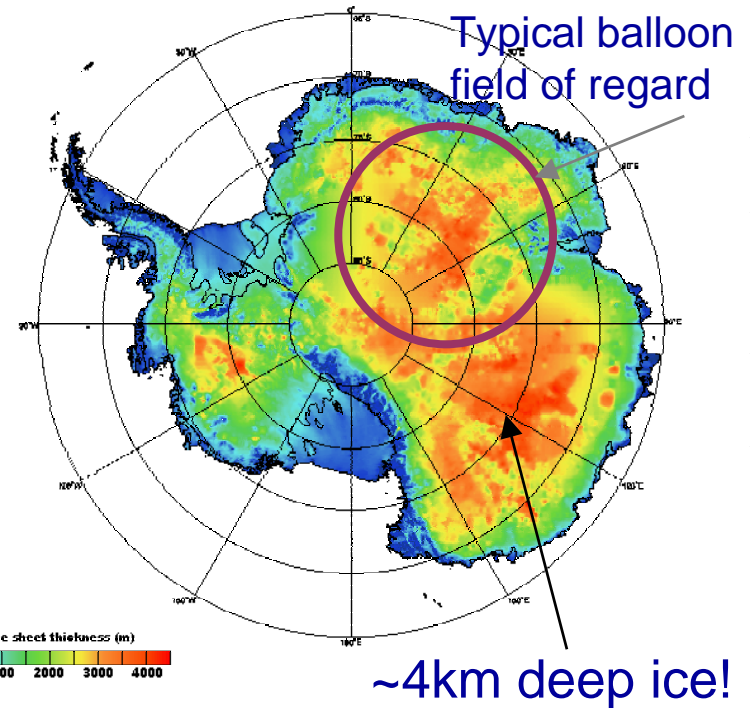
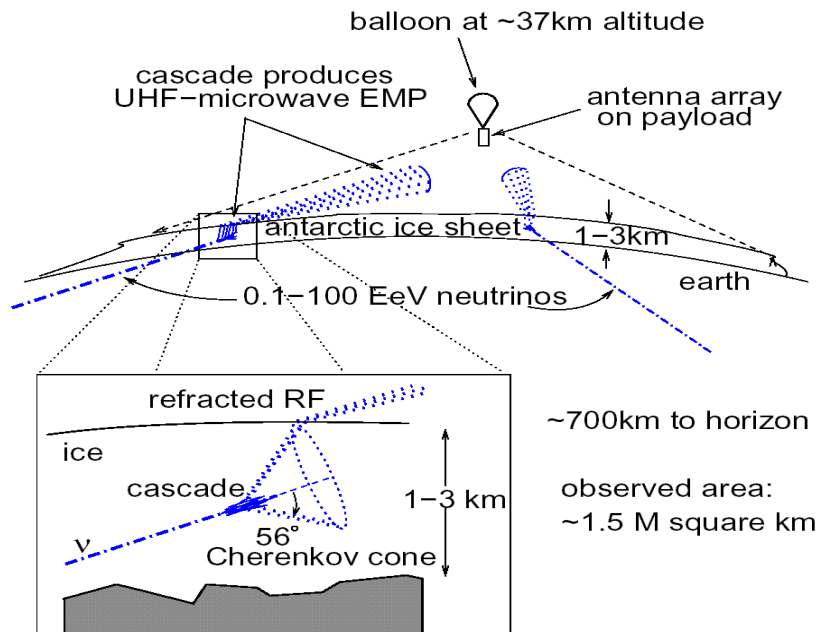
$$(1.55) \sin(30^\circ) = (1) \sin \theta_b$$

$$\sin \theta_b = (1.55) \sin(30^\circ) = \frac{1.55}{2}$$

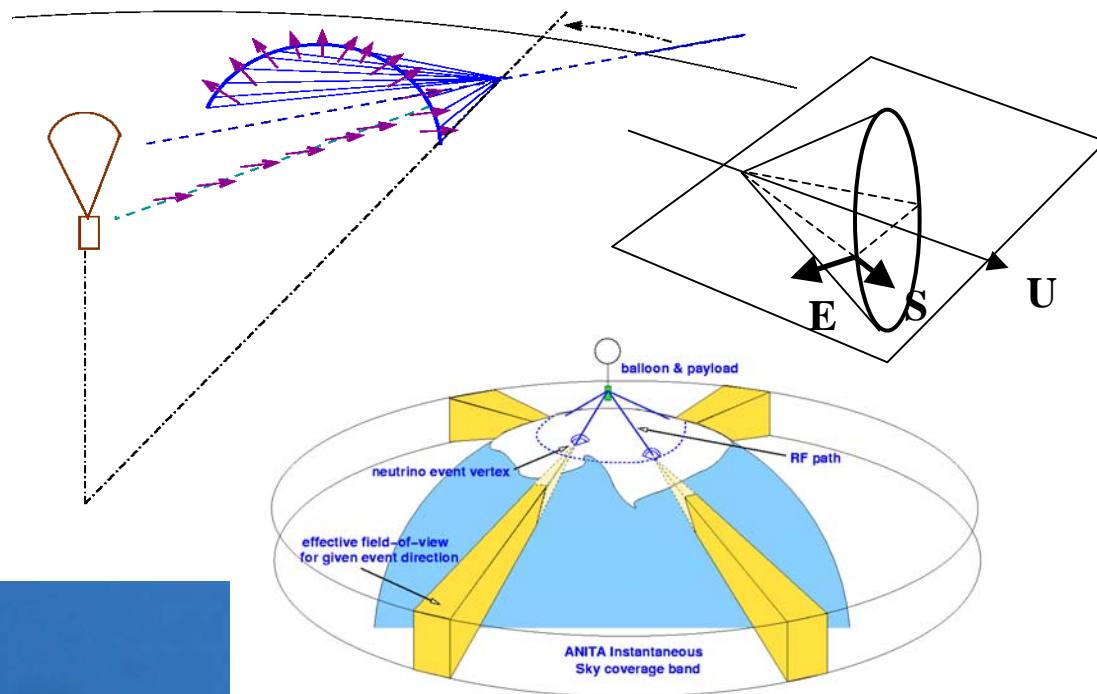
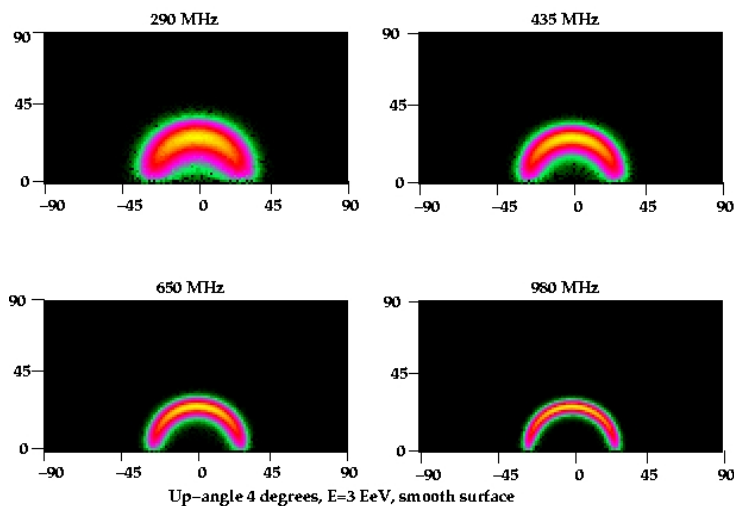
$$\theta_b = 51^\circ$$



The ANITA Concept



Refraction limits ANITA !

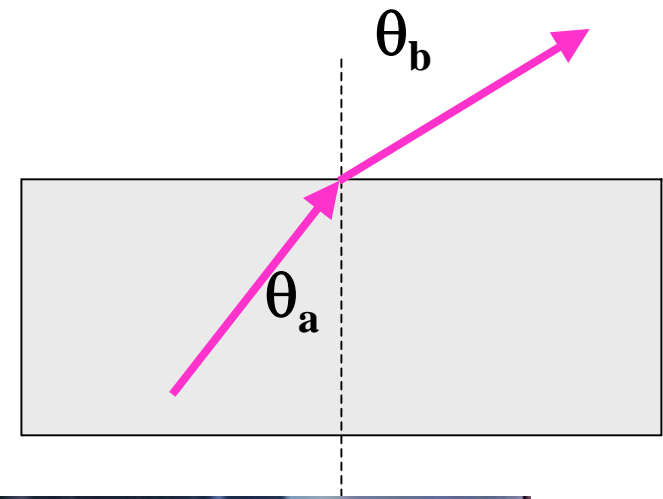
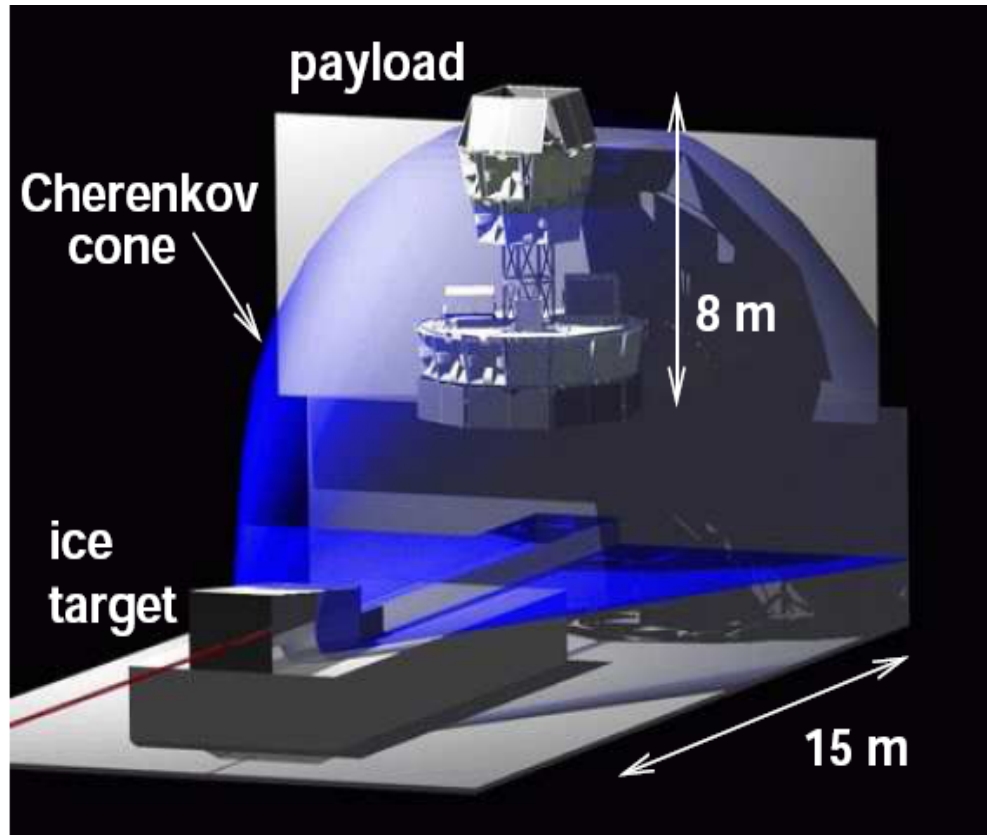


- ANITA at float (123Kft)
 - Seen through amateur telescope from the South Pole
 - Size of the Rose Bowl!
 - (thanks to James Roth)

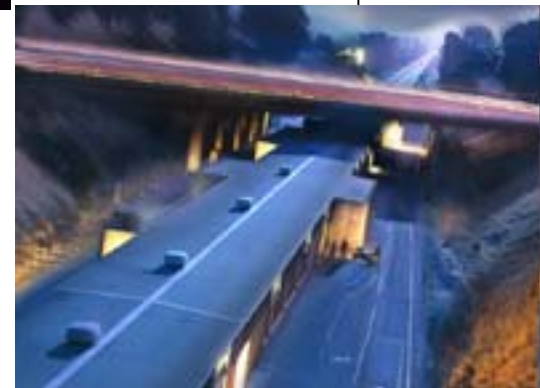
“Mini-Antarctica” at Stanford Linear Accelerator



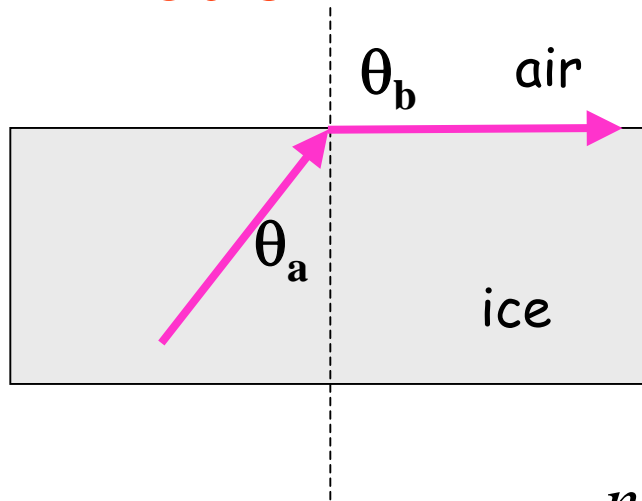
SLAC T486



- . 2 mile long accelerator
- . 28 Billion electron Volts
- . If you've driven I-280 between San Francisco and San Jose →



. Problem!!!



. There is no escape!!!

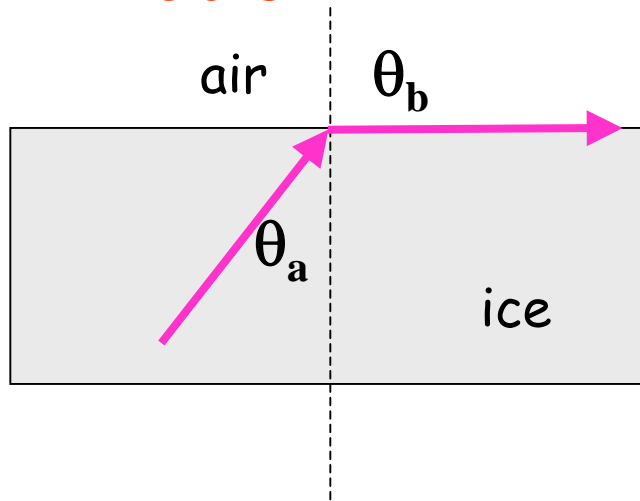
$$n_{ice} \sin \theta_a = n_{air} \sin \theta_b$$

$$(1.8) \sin(34^\circ) = (1) \sin \theta_b$$

$$\sin \theta_b = (1.8) \sin(34^\circ) = 1.0$$

$$\theta_b = 90^\circ$$

. Problem



$$n_{ice} \sin \theta_a = n_{air} \sin \theta_b$$

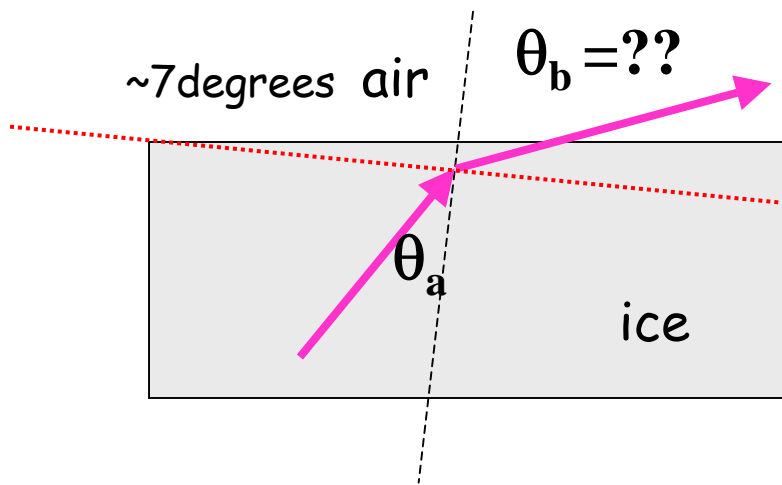
$$(1.8) \sin(34^\circ) = (1) \sin \theta_b$$

$$\sin \theta_b = (1.8) \sin(34^\circ) = 1.0$$

$$\theta_b = 90^\circ$$



. Solution = cut!

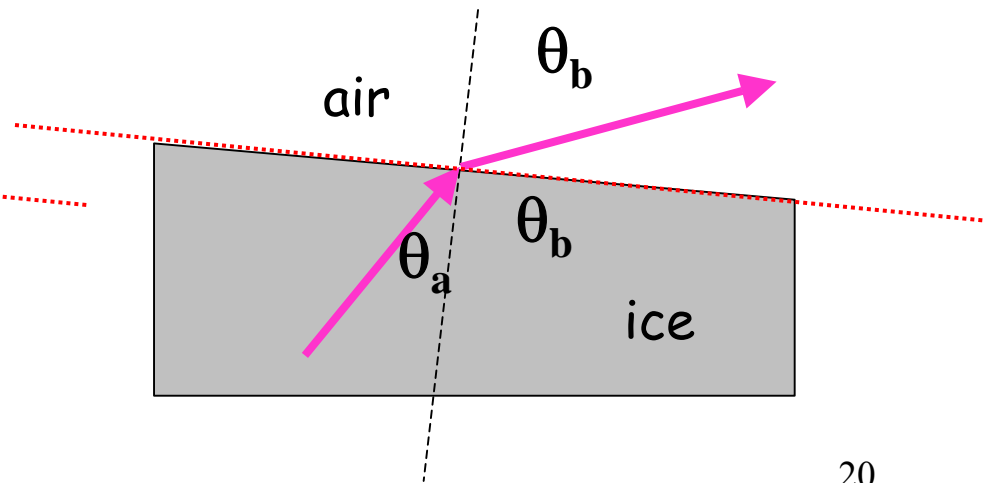


$$n_{ice} \sin \theta_a = n_{air} \sin \theta_b$$

$$(1.8) \sin(27^\circ) = (1) \sin \theta_b$$

$$\sin \theta_b = (1.8) \sin(27^\circ) = 0.82$$

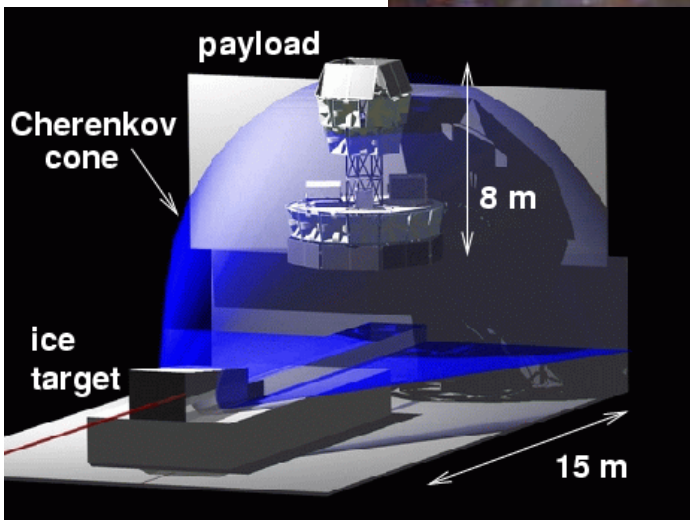
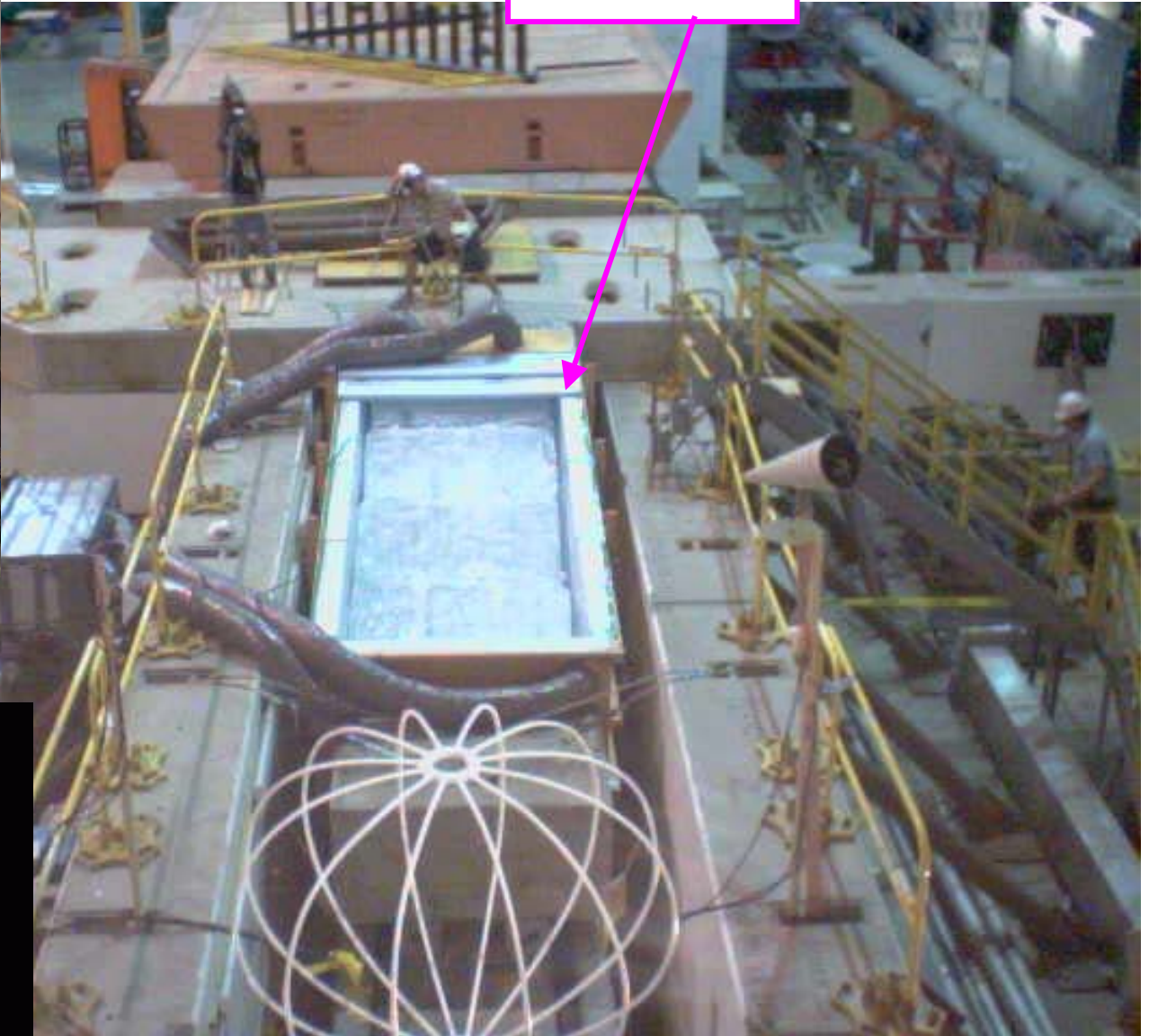
$$\theta_b = 54.8^\circ$$



Mini-Antarctica at Stanford Linear Accelerator

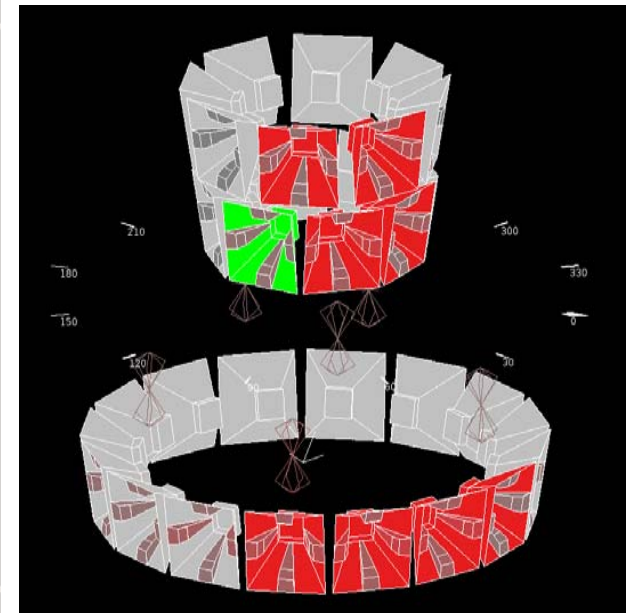
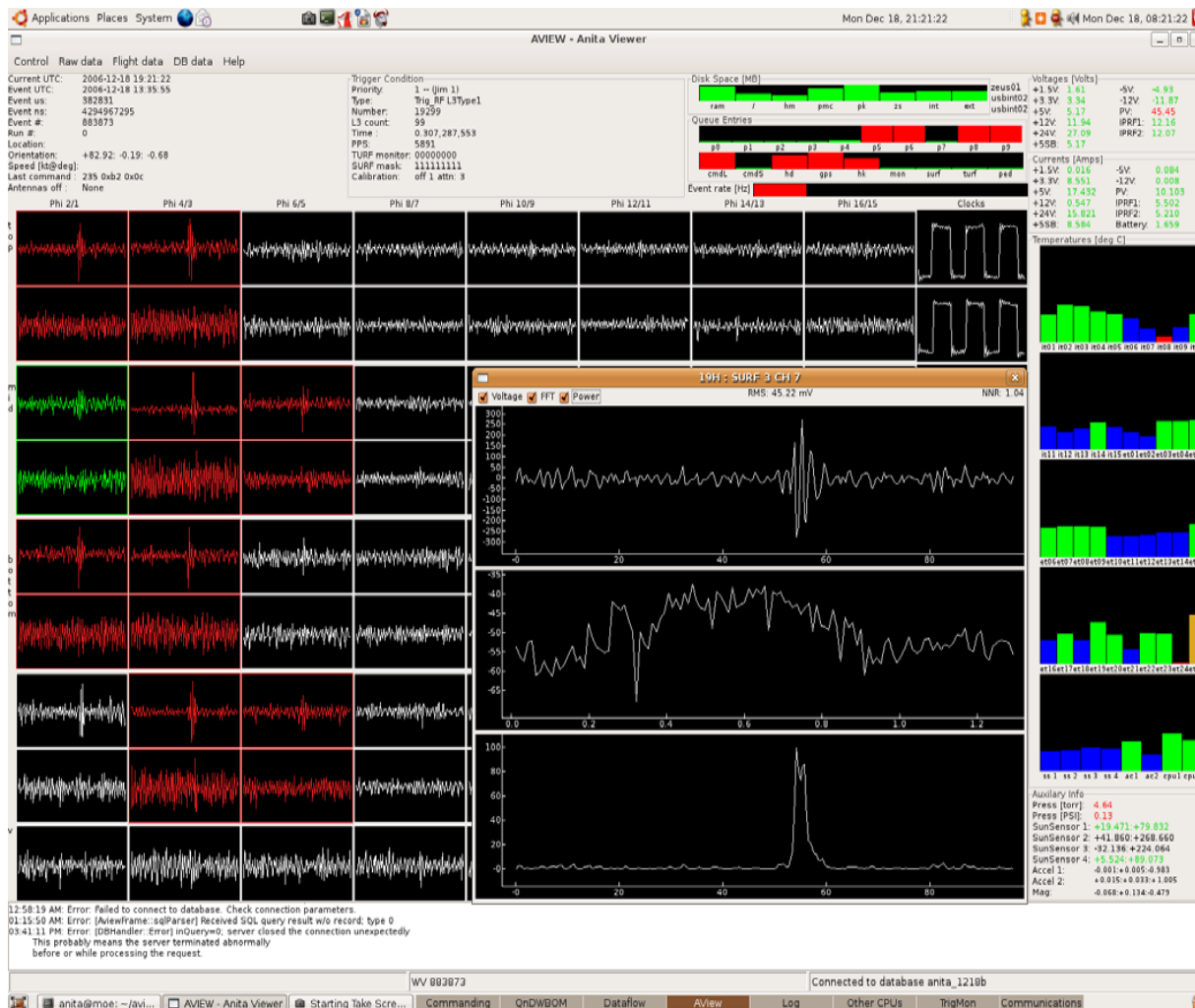


Cut ~7degrees! (jackhammers, chainsaws, mauls not shown)²¹



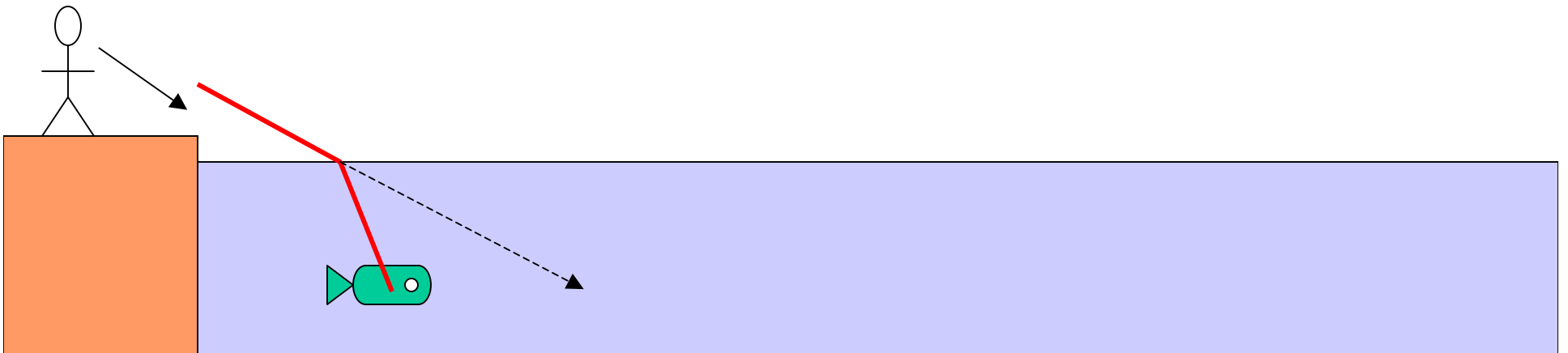


Let there be light! (OK, radio)



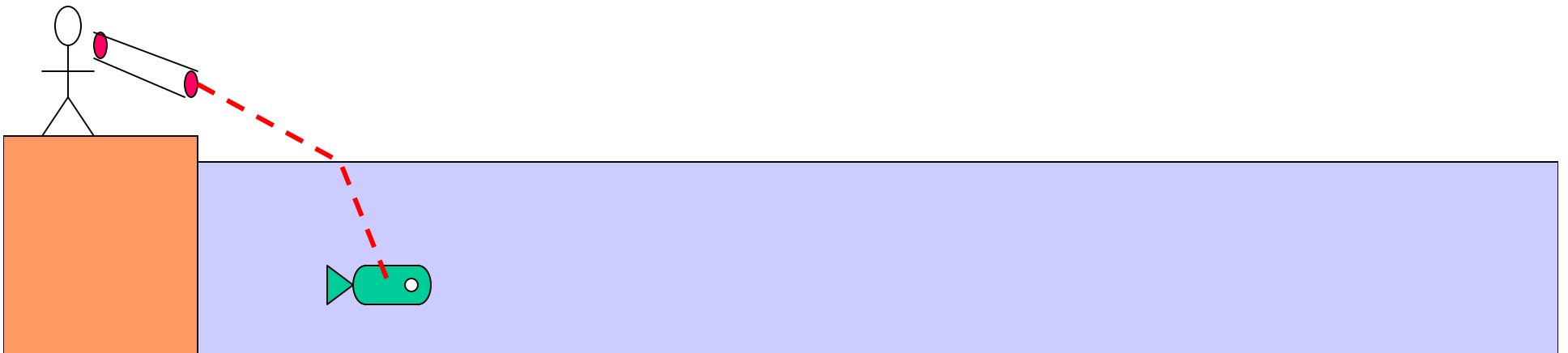
Suppose you are stranded on an island with no food. You see a fish in the water. Where should you aim your spear to hit the fish?

ANSWER; do not aim directly at the apparent position of the fish. Aim at the inside of the fish.



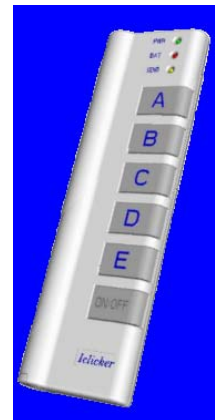
Suppose in the previous question instead of a spear you had a high power laser to simultaneously kill and cook the fish (in the water). Where should you aim the laser??

ANSWER; aim directly at apparent fish position as the laser beam will refract to the correct fish position.

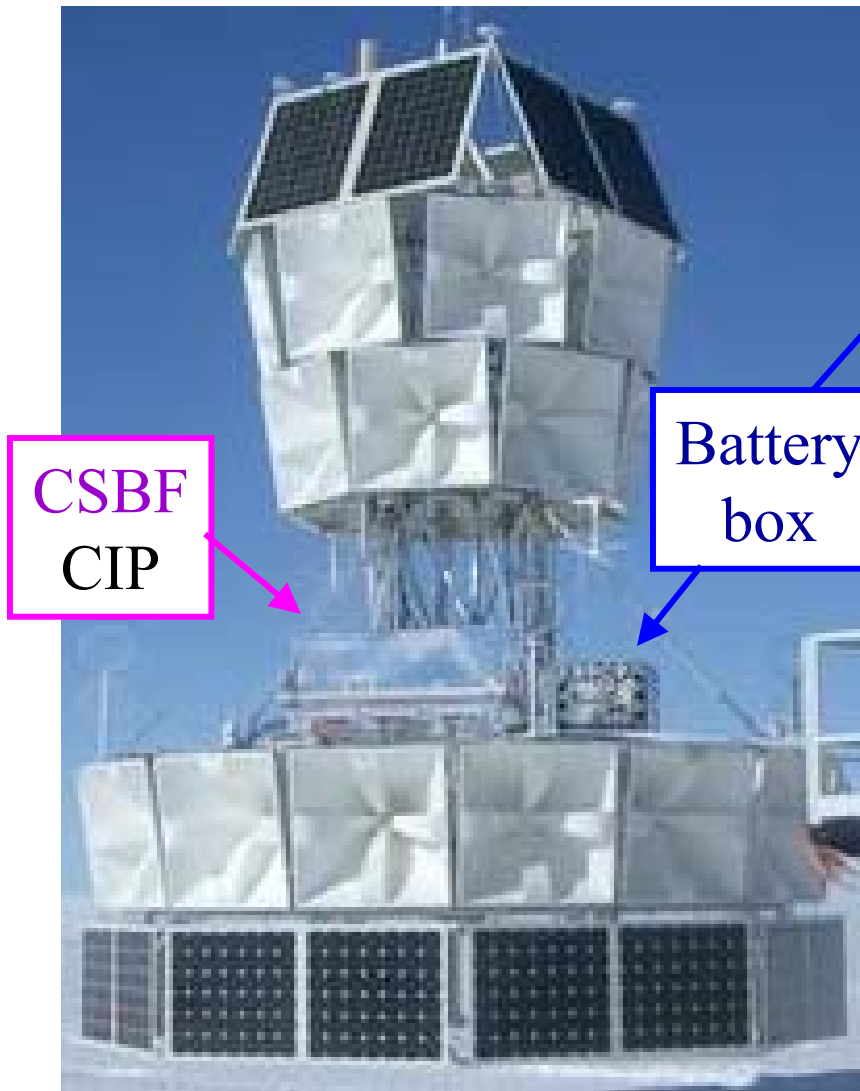


For next time

- Homework #12 posted → due Monday
- The home stretch: optics/optical phenomenon



Key Instrument pieces



Launch: December 15, 2007 (after almost 2 agonizing weeks of waiting)



Courtesy Kim Palladino

- A flawless launch
 - CSBF truly professional
 - After day after day after day of false starts, we were really ready to go

